CS 11 Ocaml track: lecture 5

Today:functors

The idea of functors (1)

- Often have a situation like this:
 - You want a module type
 - It should be parameterized around some other type or types
 - But not every type or types
- In other words, want a *restricted* kind of polymorphism

The idea of functors (2)

- In other words, want a *restricted* kind of polymorphism
- The notion of "restricted polymorphism" doesn't exist as such in ocaml
 - for that, see Haskell (type classes)
- However, can "fake it" using functors

The idea of functors (3)

- Consider polymorphic types as being like a "function" on types
 - Example: type 'a list means "give me a type 'a, and I'll give you a type 'a list"
- Similarly, imagine a "function" on modules
 - Give me a module representing the type that varies (analogous to 'a) and I'll give you a module representing the type that uses it (analogous to 'a list)

The idea of functors (4)

- Similarly, imagine a "function" on modules
 - Give me a module representing the type that varies and I'll give you a module representing the type that uses it
- These "functions on modules" are called functors in ocaml
- The name "functor" comes from category theory (not important why)

Example

- Consider the Set module we developed last lecture
- Some set implementations require set elements to be *orderable* (*i.e.* notion of "less than", "equal", "greater than" is meaningful)
- Why would you want this?

Sets with orderable elements

- Can get better efficiency with Set implementation if know that elements are orderable
- Example: Set implementation: ordered binary tree
 - Ieft subtree: all elems < node elem</p>
 - right subtree: all elems >= node elem
- member function now O(log n) instead of O(n)
 - HUGE win!

OrderedSet (1)

- We will call our set that can only work with orderable elements OrderedSet
- A large variety of types can work with OrderedSet
 - set of numbers
 - set of strings
 - set of chars
- But not every type
 - set of functions? (no ordering)

OrderedSet (2)

- Since cannot use any type as the element of an OrderedSet, cannot have a polymorphic type as the set element
 - i.e. can't use PolySet as defined last lecture
- Could just define a whole new OrderedSet for each type we want to make a set of
 - OrderedSetInt
 - OrderedSetString
- But wasteful, since code is nearly identical

OrderedSet elements (1)

- How do we characterize the essential nature of types that can be elements of our OrderedSet?
- We define a module type:

type comparison = Less | Equal | Greater
module type ORDERED_TYPE =

sig

type t (* type of elements *)

val compare: t -> t -> comparison

end

OrderedSet elements (2)

- Example of a module compatible with ORDERED_TYPE:
- module OrderedString =
 - struct
 - type t = string
 - let compare x y =
 - if x = y then Equal else if x < y then Less
 - else Greater
 - end

(Recall) SET module type

```
module type SET =
 sig
   type element
   type set
   val empty : set
   val add : element -> set -> set
   val member : element -> set -> bool
  end
```

OrderedSet functor (1)

- Now, the question becomes:
- Given a module compatible with the module type ORDERED_TYPE,
- How do I create a module that is compatible with the module type SET?
- Answer: define a functor:
 - "function" that takes in a module compatible with module type ORDERED_TYPE, and
 - creates a new module, compatible with module type SET

OrderedSet functor (2)

- Advantage of functor: any time need a new ORDERED_SET for a new kind of orderable type:
 - Define a new module for that type compatible with ORDERED_TYPE (easy)
 - Apply functor to the module, get new set module
- Disadvantage of functor:
 - One extra level of indirection
 - Therefore somewhat slower than definition without functor

OK, but how do we *define* functors?

- There are several different ways to define functors
- All described (poorly) in Ocaml manual
- All basically equivalent
- IMO very messy syntactically (like rest of ocaml)
- I will show you one way that will work
 - be aware that this can be done other ways
 - see ocaml manual and Jason's book for those

Defining a functor (skeleton)

module MakeOrderedSet(Elt: ORDERED_TYPE) :

```
(SET with type element = Elt.t) =
```

struct

(* details omitted for now *)

end

Like a function:

- input: a module Elt that conforms to ORDERED_TYPE
- output: a module that conforms to SET with the type element the same as the type Elt.t

Defining a functor (alternative)

- module MakeOrderedSet(Elt: ORDERED_TYPE) =
 struct
 - (* details omitted for now *)

end

- Here we've omitted the "result module type"
- Will still work correctly
- However, resulting module will <u>not</u> be abstract
 - internals of module will be publicly visible (usually bad)
 - We'll stick with abstract version



- module OrderedStringSet = MakeOrderedSet(OrderedString);;
- → module OrderedStringSet :

```
sig
type element = OrderedString.t
type set = MakeOrderedSet(OrderedString).set
val empty : set
val add : element -> set -> set
val member : element -> set -> bool
end
```

let set1 = OrderedStringSet.add "gee" OrderedStringSet.empty;;
 → val set1 : OrderedStringSet.set = <abstr>

Defining a functor (details) (1)

- To simplify code, we'll define our Set functor not in terms of ordered binary trees but in terms of ordered lists
- This will not be nearly as efficient
 - *e.g.* member will still be O(N)
 - but functor concepts will be just as clear
- Binary tree version left as exercise

Defining a functor (details) (2)

module MakeOrderedSet(Elt: ORDERED_TYPE) :
 (SET with type element = Elt.t) =
 struct
 type element = Elt.t (* note code duplication *)
 type set = element list
 let empty = []
 (* continued on next slide *)

Defining a functor (details) (3)

```
(* continued from previous slide *)
let rec add x s =
  match s with
    | [] -> [X]
    | hd :: tl ->
       match Elt.compare x hd with
          Equal -> s
          Less -> x :: s
          Greater -> hd :: add x tl
(* continued on next slide *)
```

Defining a functor (details) (4)

```
(* continued from previous slide *)
  let rec member x s =
    match s with
      [] -> false
      | hd :: tl ->
         match Elt.compare x hd with
            Equal -> true
            Less -> false
            Greater -> member x tl
end (* of struct *)
```

Other functor stuff

- It's possible to define multi-parameter functors
- *i.e.* functors with several module inputs
 Syntax is gnarly (surprise, surprise)
 Probably won't need to do that



- Building a language, part 1
- Parser generators
 - ocamllex
 - ocamlyacc